## UNIT <br> Geometry

## Just for Fun

## Get My Angle

Unscramble the letters in each row to form a geometry word from this unit.

LAPARLEL
TARNSUAQD
NMEGSTE
SETROCIB
GLENA
SETCIB
IDLUCRANEPREP $\qquad$
GIINRO
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$

## Draw It Bigger

Enlarge the cartoon.
Draw the cartoon in the larger grid.


## Sum or Product?



You need two number cubes labelled 1 to 6 , pencils, and paper.
Players take turns. On each turn, roll both number cubes.
If the sum of the two numbers is greater than the product of the two numbers, the player scores 3 points.
If the product of the two numbers is greater than the sum of the two numbers, the player scores 1 point.
If the sum and product are the same, the player scores no points.
Each player has 10 turns.
The player with the most points after 10 turns is the winner.

## Activating Prior Knowledge

## Classifying Triangles

You can classify triangles by their sides, or by their angles.

| Classify <br> by sides | all sides equal <br> Equilateral | 2 sides equal <br> Isosceles | no sides equal <br> Scalene |
| :--- | :---: | :---: | :---: |
| Classify <br> by angles | ander <br> all angles less than $90^{\circ}$ <br> Acute | one angle of $90^{\circ}$ <br> Right | one angle greater than $90^{\circ}$ <br> Obtuse |

## Check

1. Match each triangle to its description.

equilateral and acute isosceles and acute scalene and right scalene and obtuse
2. Draw each triangle if you can. If you cannot, explain why.
a) scalene and obtuse
b) obtuse and acute
c) equilateral and acute
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$

## Properties of a Rhombus

A rhombus is a parallelogram with all sides equal.
A rhombus has:

- Opposite sides parallel
- Opposite angles equal
- Diagonals that intersect at right angles
- Diagonals that bisect each other
- Diagonals that bisect the angles



## Example

For rhombus EFGH:
a) Name the opposite angles that are equal.
b) What do you know about sides EF and HG?
c) What do you know about segments EP and PH?

## Solution

a) $\angle \mathrm{FEH}=\angle \mathrm{FGH}$ and $\angle \mathrm{EFG}=\angle \mathrm{EHG}$
b) Sides EF and HG are opposite sides, so they are equal and parallel.
c) Segments EP and PH are parts of intersecting diagonals, so these segments are perpendicular; that is, they intersect at $90^{\circ}$.

## Check

3. Draw a large rhombus on this dot paper.

Label it HIJK.
Draw the diagonals of the rhombus.
They intersect at point G.
a) Name all the right angles.
b) What is the bisector of HJ ? $\qquad$
c) Which segment is twice the length of IG? $\qquad$
d) Which segment is one-half the length of HJ ? $\qquad$


Which angle is equal to $\angle \mathrm{HIG}$ ? $\qquad$
f) Which angle is equal to $\angle \mathrm{IHK}$ ? $\qquad$

## Quick Review

Parallel lines are lines on the same flat surface that never meet.
They are always the same distance apart.

Here are 2 strategies for drawing a line segment parallel to line segment AB.

## Using a ruler and a protractor

- Choose a point C on line segment AB .

Place the centre of the protractor
on C. Align the base line of the protractor with AB .
Mark a point D at $90^{\circ}$.
Repeat this step at point E
to mark point F .
Draw a line through FD.
Line segment FD is parallel to $A B$.


## Using a ruler and a compass

> Mark any point D on line segment AB .
Place the compass point on D .
Draw an arc to intersect AB at E .
Place the compass point on E .
Draw an arc to intersect $A B$ at $F$.
> Place the compass point on F .
Draw an arc below AB.
Place the compass point on E .
Draw an arc below AB. This arc
should intersect the arc drawn from F, at G.
Place the compass point on D .
Draw an arc below $A B$ to intersect the arc drawn from E , at H .
Draw a line through GH.

## Tip

Make sure the distance between compass point and pencil point stays the same.

Line segment GH is parallel to AB .

## Practice

1. Are the line segments in each pair parallel?
a) $\qquad$

b)

c) $\qquad$

d) $\qquad$

2. Draw a line segment.

Use any method you like to draw a parallel line segment.
Explain your strategy. How do you know the lines are parallel?
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
3. Look around you for examples of parallel line segments. List 6 examples.
4. Draw a line segment parallel to each segment shown.

5. How do you know these line segments are parallel?

$\qquad$
$\qquad$
$\qquad$
$\qquad$
6. Look at the diagram below.

Find as many pairs of parallel line segments as you can.

$\qquad$
$\qquad$
$\qquad$
$\qquad$

## Quick Review

Two lines are perpendicular if they intersect at right angles.


Here are 2 strategies to draw a line segment perpendicular to line segment AB .

## Using a plastic right triangle

- Place one of the shorter sides of the triangle along line segment AB .
Draw line segment CD along the other shorter side.
Line segment $A B$ is perpendicular to $C D$.



## Using a ruler and a compass

> Mark a point $C$ on line segment $A B$.
Set the compass so the distance between the compass and pencil points is greater than one-half the length of AC.
Place the compass point on A .
Draw a circle that intersects AB .
$>$ Place the compass point on C.
Draw a circle to intersect the first circle you drew, at D and E.
$>$ Draw a line through DE.
Line segment DE is perpendicular to AB .


## Practice

1. Are the line segments in each pair perpendicular?

b)
$\qquad$
c)

d)

2. Draw a line segment.

Use any method you like to draw a perpendicular line segment.
Explain your strategy.
$\qquad$
$\qquad$
$\qquad$
3. Look around you for examples of perpendicular line segments. List 6 examples.
4. Draw a line segment perpendicular to each segment shown.
a)

b)
d)
c)


5. How do you know these line segments are perpendicular?

6. Look at the diagram below.

Find as many pairs of perpendicular line segments as you can.

$\qquad$
$\qquad$
$\qquad$
$\qquad$

## Quick Review

When you draw a line to divide a line segment into two equal parts, you bisect the segment. The line you drew is a bisector of the segment.


When the bisector is drawn perpendicular to the segment, the line is the perpendicular bisector of the segment.


Here are 2 strategies to draw a perpendicular bisector of line segment $A B$.

## Using paper folding

Fold the paper so that point A lies on point B.
Crease along the fold.
Open the paper.
The fold line is the perpendicular bisector of AB .


## Using a ruler and a protractor

- Use the ruler to measure the length of AB. Mark its midpoint C.
> Place the centre of the protractor on C.
Align the base line of the protractor with AB. Mark a point D at $90^{\circ}$.
- Draw a line through CD.

The line through CD is the perpendicular bisector of AB.


## Practice

1. Match each term with its definition.
a) right angle
b) bisector
c) perpendicular bisector
d) diagonal
a line segment that joins two vertices of a shape, but is not a side
a $90^{\circ}$ angle
a line that divides a line segment into two equal parts
a line that is perpendicular to a line segment and divides the segment into two equal parts
2. Identify the perpendicular bisector in this kite.
How do you know the segment you identified is a perpendicular bisector?

3. Draw any line segment MN .

Use any method you like to draw the perpendicular bisector of MN. Explain your strategy.
4. Has each line segment AB been bisected?

How do you know?
a)

b) $\qquad$

c) $\qquad$

d) $\qquad$
$\qquad$

5. Look around you for examples of perpendicular bisectors. List 2 examples.
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
6. Draw the perpendicular bisector of line segment GH.

Draw a bisector of line segment JK.

a) Why does a line segment have many bisectors?
$\qquad$
$\qquad$
b) Why does a line segment have only one perpendicular bisector?
$\qquad$
$\qquad$
7. Draw line segment PQ 10 cm long.
a) Draw the perpendicular bisector of PQ .
b) Choose three different points $\mathrm{A}, \mathrm{B}$, and C on the bisector.
i) Measure PA and QA. $\qquad$
ii) Measure PB and QB . $\qquad$
iii) Measure PC and QC. $\qquad$
iv) What do you notice about the measures in parts i, ii, and iii? Explain.
$\qquad$
$\qquad$

## Quick Review

The bisector of an angle divides the angle into two equal parts.
Line segment QS is the bisector of $\angle \mathrm{PQR}$ because $\angle \mathrm{PQS}=\angle \mathrm{SQR}$.


Here are 2 strategies to draw the bisector of $\angle \mathrm{ABC}$.

## Using a Mira

Place the Mira between the arms of the angle so that the reflection of one arm lies along the other arm. Draw line segment BD along the edge of the Mira, through the vertex of the angle.
Line segment BD is the bisector of $\angle \mathrm{ABC}$.


Using a ruler and compass
i)

ii)

iii)

i) Place the compass point on B. Draw an arc to meet BA at D and BC at E.
ii) Place the compass point on D. Draw an arc between the arms of the angle. Keep the distance between the compass and pencil points.
Place the compass point on E. Draw an arc to meet the previous arc at F.
iii) Join BF.
$B F$ is the bisector of $\angle \mathrm{ABC}$.

## Practice

1. For each $\angle \mathrm{DEF}$, is EG a bisector?
a)

b) $\qquad$

c)

d) $\qquad$

2. Draw any acute $\angle \mathrm{MNP}$.

Use any method you like to draw the bisector of $\angle \mathrm{MNP}$.
Explain your strategy.
3. How can you check that the bisector you drew in question 2 is correct?
4. Use a plastic right triangle to bisect $\angle B C D$.

Use a ruler and compass to bisect $\angle \mathrm{EFG}$.


Measure the two angles formed by each bisector.
a) Measures of angles formed by bisector of $\angle \mathrm{BCD}$ : $\qquad$
Measures of angles formed by bisector of $\angle \mathrm{EFG}$ : $\qquad$
b) What do your answers from part a tell you about $\angle \mathrm{BCD}$ and $\angle \mathrm{EFG}$ ?
5. Use a ruler and compass to draw the bisector KB of $\angle \mathrm{ABD}$. Then draw the bisector $M B$ of $\angle D B C$. Use a protractor to measure $\angle \mathrm{KBM}$. What do you notice?


## Quick Review

- A coordinate grid is formed when a horizontal number line and a vertical number line intersect at right angles at 0 .
> The horizontal number line is the $\boldsymbol{x}$-axis. The vertical number line is the $\boldsymbol{y}$-axis. They meet at the origin.
> The axes divide the grid into 4 quadrants numbered $1,2,3$, and 4 counterclockwise.
> Points on the axes do not belong to any quadrant.

- A point on a coordinate grid is located by an ordered pair of numbers.

The first number, the $x$-coordinate, tells how far left or right of the origin the point is. The second number, the $y$-coordinate, tells how far up or down from the origin the point is. For example, $(-4,6)$ is 4 units left of the origin and 6 units up.

## Practice

1. Use each letter once. Complete these descriptions for points in the diagram.
a) Point $\qquad$ is 3 units right of and 5 units up from the origin.
b) Point $\qquad$ is 5 units right of and 3 units up from the origin.
c) Point $\qquad$ has $x$-coordinate 0 .
d) Point $\qquad$ has $y$-coordinate 0 .
e) Points $\qquad$
have the same $x$-coordinates.

f) Points $\qquad$ and $\qquad$ have equal $x$ - and $y$-coordinates.
g) Points $\qquad$ and $\qquad$ are in Quadrant 4.
2. Use the diagram in question 1. Write the coordinates of each point.
a) $\mathrm{A}(4$, $\qquad$ b) B ( $\qquad$ , -3)
c) C $\qquad$ d) D $\qquad$

e) E $\qquad$ f) F $\qquad$
g) $G$ $\qquad$
h) H $\qquad$
i) I $\qquad$ j) J $\qquad$
3. Plot these points on the grid.
$(2,-9),(0,-5),(-4,-7),(-6,-10)$,
$(-8,-10),(-9,-8),(-7,0),(-5,5)$,
$(-6,7),(-3,6),(2,3),(4,0),(8,-4)$
Join the points in the order listed.
Which animal's head did you draw?

4. Graph each set of points. Join the points in order. Then join the last point to the first point. Name the geometric shape you drew.
a) $(5,3),(5,-3),(-5,-3),(-5,3)$
b) $(-4,0),(2,0),(5,3),(-1,3)$
$\qquad$
$\qquad$


c) $(-3,4),(2,4),(4,-2),(-4,-2)$
d) $(5,1),(-2,-2),(-5,1),(-2,4)$
$\qquad$
$\qquad$


5. a) $A(-4,-2), B(-4,5)$, and $C(3,5)$ are 3 vertices of square $A B C D$. Graph these points on the grid.
b) What are the coordinates of point $D$ ?
$\qquad$
Graph this point on the grid.
Join the points to form square $A B C D$.

c) Find the area and perimeter of square ABCD .

The side length of square $A B C D$ is $\qquad$ units.
$\qquad$ square units.

The perimeter of square $A B C D$ is $\qquad$ units.

## Quick Review

- A translation moves a shape in a straight line.

The shape and its image are congruent, and have the same orientation.
When the shape is on a square grid, the translation is described by movements right or left and up or down.
$\triangle A^{\prime} \mathrm{B}^{\prime} \mathrm{C}^{\prime}$ is the image of $\triangle \mathrm{ABC}$ after a translation 7 units left and 4 units up.

Both $\triangle \mathrm{ABC}$ and its translation image $\triangle A^{\prime} \mathrm{B}^{\prime} \mathrm{C}^{\prime}$ are read clockwise.


- A reflection creates a mirror image of a shape.

The mirror line is a line of symmetry for the shape and its image.
The shape and its image are congruent, but have different orientations.
$\triangle A^{\prime} B^{\prime} C^{\prime}$ is the image of $\triangle A B C$ after a reflection in the $x$-axis.
$\triangle A^{\prime \prime} B^{\prime \prime} C^{\prime \prime}$ is the image of $\triangle A B C$ after a reflection in the $y$-axis.


$\triangle \mathrm{ABC}$ is read clockwise.
Its reflection images $\triangle A^{\prime} \mathrm{B}^{\prime} \mathrm{C}^{\prime}$ and $\triangle \mathrm{A}^{\prime \prime} \mathrm{B}^{\prime \prime} \mathrm{C}^{\prime \prime}$ are read counterclockwise.

## Practice

1. Which triangles are translation images of the shaded triangle? Which are reflection images?


Triangles $\qquad$ are translation images.

Triangles $\qquad$ are reflection images.

2. a) Draw the image of $\triangle \mathrm{ABC}$ after a translation of 5 units left and 3 units up.
b) Write the coordinates of the vertices of $\triangle \mathrm{ABC}$ and its image $\triangle A^{\prime} B^{\prime} C^{\prime}$.

The image of $\mathrm{A}(1,0)$ is $\mathrm{A}^{\prime}(-4,3)$.
The image of $B(6,1)$ is $B^{\prime}$ $\qquad$ The image of C $\qquad$ is $\mathrm{C}^{\prime}$ $\qquad$
c) For a translation 5 units left and 3 units up, the $x$-coordinate $\qquad$ by 5 ,
 and the $y$-coordinate $\qquad$ by 3 .
3. Quadrilateral $\mathrm{W}^{\prime} \mathrm{X}^{\prime} \mathrm{Y}^{\prime} \mathrm{Z}^{\prime}$ is a translation image of quadrilateral WXYZ .
a) Describe the translation.
b) Write the coordinates of the vertices of the quadrilateral and its image.

The image of W $\qquad$ is $\mathrm{W}^{\prime}$ $\qquad$
The image of X $\qquad$ is $\mathrm{X}^{\prime}$ $\qquad$
The image of Y $\qquad$ is $\mathrm{Y}^{\prime}$ $\qquad$


The image of Z $\qquad$ is $Z^{\prime}$ $\qquad$
4. a) Draw the image of quadrilateral KLMN:

- after a reflection in the $y$-axis. Label the image $\mathrm{K}^{\prime} \mathrm{L}^{\prime} \mathrm{M}^{\prime} \mathrm{N}^{\prime}$.
- after a reflection in the $x$-axis. Label the image $\mathrm{K}^{\prime \prime} \mathrm{L}^{\prime \prime} \mathrm{M}^{\prime \prime} \mathrm{N}^{\prime \prime}$.

Tip
To reflect a point, find its distance from the mirror line.
b) Write the coordinates of the vertices of KLMN and its image $\mathrm{K}^{\prime} \mathrm{L}^{\prime} \mathrm{M}^{\prime} \mathrm{N}^{\prime}$.

Image of K $\qquad$ is $\mathrm{K}^{\prime}$ $\qquad$
Image of L $\qquad$ is $\mathrm{L}^{\prime}$ $\qquad$
Image of $M$ $\qquad$ is $\mathrm{M}^{\prime}$ $\qquad$
Image of N $\qquad$ is $\mathrm{N}^{\prime}$ $\qquad$

c) Write the coordinates of the vertices of KLMN and its image $\mathrm{K}^{\prime \prime} \mathrm{L}^{\prime \prime} \mathrm{M}^{\prime \prime} \mathrm{N}^{\prime \prime}$.
K
$K^{\prime \prime}$ $\qquad$
L $\qquad$ $L^{\prime \prime}$ $\qquad$
$\qquad$
$\qquad$
M $\qquad$ $M^{\prime \prime}$
N $\mathrm{N}^{\prime \prime}$
d) Complete each statement about reflection.

When a point is reflected in the $y$-axis, its $y$-coordinate $\qquad$
and its $x$-coordinate $\qquad$ -.

When a point is reflected in the $x$-axis, its $x$-coordinate $\qquad$ and its $y$-coordinate $\qquad$ .
5. a) Draw the image of $\triangle \mathrm{ABC}$ after a reflection in the line through $\mathrm{P}(-3,-3), \mathrm{O}(0,0)$, and $\mathrm{R}(3,3)$.
b) Write the coordinates of the vertices of $\triangle \mathrm{ABC}$ and its image $\triangle \mathrm{A}^{\prime} \mathrm{B}^{\prime} \mathrm{C}^{\prime}$.

Image of A $\qquad$ is $\mathrm{A}^{\prime}$ $\qquad$
Image of B $\qquad$ is $\mathrm{B}^{\prime}$ $\qquad$
Image of C $\qquad$ is $C^{\prime}$ $\qquad$

c) What pattern do you see in the coordinates of each point and its image?

## Quick Review

- A rotation turns a shape about a point of rotation.
- Rotations can be clockwise or counterclockwise.

A counterclockwise rotation is positive.
A clockwise rotation is negative.
> You can use tracing paper to draw the images of a shape after a $90^{\circ}, 180^{\circ}$, or $270^{\circ}$ rotation about the origin on a coordinate grid.

- Trace the original shape and the axes.
- Label the positive $y$-axis on the tracing paper.
- Place a pencil point at the origin. Rotate the tracing paper counterclockwise until the positive $y$-axis coincides with the given axis.

| Rotation | Positive $y$-axis coincides with $\ldots$ |
| :---: | :---: |
| $90^{\circ}$ | negative $x$-axis |
| $180^{\circ}$ | negative $y$-axis |
| $270^{\circ}$ | positive $x$-axis |

- Mark the vertices of the image with a sharp pencil through the tracing paper.
- Join the vertices to draw the image of the original shape.

This diagram shows the images of a shape after rotations of $90^{\circ}, 180^{\circ}$, and $270^{\circ}$ about the origin.


Each image is congruent to the original shape.

## Practice

1. Match the image with each transformation of the original shaded triangle.



## Image

1
2
3
4
5
6
7

## Transformation of Original Triangle

rotation of $90^{\circ}$ counterclockwise about the origin reflection in the $x$-axis
translation 2 units right and 4 units up
reflection in the $y$-axis
rotation of $180^{\circ}$ about the origin
rotation of $90^{\circ}$ clockwise about the origin
translation 8 units right and 8 units down
2. a) Draw the image of quadrilateral WHAT after a rotation of $90^{\circ}$ about the origin.
b) Write the coordinates of the vertices of the original shape and its image.

W $\qquad$ $\rightarrow \mathrm{W}^{\prime}$ $\qquad$
H $\qquad$ $\rightarrow \mathrm{H}^{\prime}$ $\qquad$
A $\qquad$ $\rightarrow \mathrm{A}^{\prime}$ $\qquad$
T $\qquad$ $\rightarrow \mathrm{T}^{\prime}$ $\qquad$
What pattern do you see in the coordinates?

$\qquad$
$\qquad$
3. a) Draw the image of quadrilateral WHAT after a rotation of $180^{\circ}$ about the origin on the coordinate grid in question 2 .
b) Write the coordinates of the vertices of the original shape and its image.
W $\qquad$ $\rightarrow \mathrm{W}^{\prime \prime}$ $\qquad$
H $\qquad$ $\rightarrow \mathrm{H}^{\prime \prime}$ $\qquad$
A $\qquad$ $\rightarrow \mathrm{A}^{\prime \prime}$ $\qquad$
T $\qquad$ $\rightarrow \mathrm{T}^{\prime \prime}$ $\qquad$

What pattern do you see in the coordinates?
$\qquad$
$\qquad$
4. a) Draw the image of quadrilateral WHAT after a rotation of $-90^{\circ}$ about the origin on the coordinate grid in question 2.
b) Write the coordinates of the vertices of the original shape and its image.
$\qquad$

## Tip

A clockwise rotation is shown by a negative angle. A rotation of $-90^{\circ}$ is the same as a rotation of $270^{\circ}$.

H $\qquad$ $\rightarrow \mathrm{H}^{\prime \prime \prime}$ $\qquad$
A $\qquad$ $\rightarrow \mathrm{A}^{\prime \prime \prime}$ $\qquad$
T $\qquad$ $\rightarrow \mathrm{T}^{\prime \prime \prime}$ $\qquad$
What pattern do you see in the coordinates?
$\qquad$
$\qquad$
5. Use the patterns from questions 2 to 4 to predict the coordinates of the image of $K(-5,1)$ :
a) after a rotation of $90^{\circ}$ about the origin. $\qquad$
b) after a rotation of $180^{\circ}$ about the origin. $\qquad$
c) after a rotation of $270^{\circ}$ about the origin. $\qquad$
6. Write the coordinates of the vertices of the image of $\triangle \mathrm{ABC}$ after a rotation of $90^{\circ}$ about the origin.
$\mathrm{A}(3,2) \rightarrow \mathrm{A}^{\prime}$
$\mathrm{B}(5,-4) \rightarrow \mathrm{B}^{\prime}$ $\qquad$

$$
C(-6,-1) \rightarrow C^{\prime}
$$

$\qquad$

## In Your Words

Here are some of the important mathematical words of this unit.
Build your own glossary by recording definitions and examples here. The first one is done for you.


List other mathematical words you need to know.

## Unit Review

## LESSON

8.1 1. Draw line segment FG.
a) Draw a parallel line segment. Label it HJ.

Explain your strategy for drawing the parallel segment.
$\qquad$
$\qquad$
b) Draw the perpendicular bisector of HJ. Label it KM.

Explain your strategy for drawing the perpendicular segment.
$\qquad$
$\qquad$
$\qquad$
$\qquad$
2. $\angle P Q R$ is an obtuse angle.

Draw the bisector of $\angle \mathrm{PQR}$.
Label it KQ.
Draw the perpendicular bisector of QR .
Label it MN.
MN intersects QR at J.

a) What do you know about $\angle \mathrm{PQK}$ ?
$\qquad$
$\qquad$
b) What do you know about segment QJ?
$\qquad$
$\qquad$
3. Use the diagram at the right.
a) The coordinates of $D$ are $\qquad$ .
b) The coordinates of F are $\qquad$ .
c) Point $\qquad$ has coordinates $(2,6)$.
d) The coordinates of the origin are $\qquad$ .
e) Point $\qquad$ has $y$-coordinate 0 .
f) Point $\qquad$ has $x$-coordinate 0 .

g) Point $\qquad$ is in Quadrant 2.
8.6 4. Plot these points on the coordinate grid:
$\mathrm{A}(0,4), \mathrm{B}(6,5)$, and $\mathrm{C}(7,-2)$.
Join the points to form $\triangle \mathrm{ABC}$.
On the same grid, draw the image of $\triangle \mathrm{ABC}$ after each transformation.
a) A translation 9 units left and 7 units down
Label the image $\triangle \mathrm{A}^{\prime} \mathrm{B}^{\prime} \mathrm{C}^{\prime}$.
Write the coordinates of the vertices of $\triangle A^{\prime} B^{\prime} C^{\prime}$.
A' $\qquad$ B' $\qquad$ $C^{\prime}$ $\qquad$

b) A reflection in the $y$-axis

Label the image $\triangle A^{\prime \prime} B^{\prime \prime} C^{\prime \prime}$. Write the coordinates of the vertices of $\triangle A^{\prime \prime} B^{\prime \prime} C^{\prime \prime}$.
$A^{\prime \prime}$ $\qquad$ $B^{\prime \prime}$ $\qquad$ $C^{\prime \prime}$ $\qquad$
c) A rotation of $-90^{\circ}$ about the origin

Label the image $\triangle A^{\prime \prime \prime} B^{\prime \prime \prime} C^{\prime \prime \prime}$.
Write the coordinates of the vertices of $\triangle A^{\prime \prime \prime} \mathrm{B}^{\prime \prime \prime} \mathrm{C}^{\prime \prime \prime}$.

Tip
A clockwise rotation is shown by a negative angle such as $-90^{\circ}$.
$A^{\prime \prime \prime}$ $\qquad$ $B^{\prime \prime \prime}$ $\qquad$ $C^{\prime \prime \prime}$ $\qquad$
How are the images alike? Different? $\qquad$
$\qquad$
$\qquad$

